

# Effect of GCSC Parameters on Distance Relay Measured Impedance in the Presence of Phase to Earth Fault

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**Abstract** — This paper presents the impact study of GTO Controlled Series Capacitor (GCSC) Parameters on MHO distance relays measured impedance for 220 kV protected electrical transmission line in the presence of phase to earth fault. The study deals with a 220 kV single electrical transmission line of Eastern Algerian transmission networks at Group Sonelgaz (Algerian Company of Electrical and Gas), compensated by series Flexible AC Transmission System (FACTS) i.e. GCSC connected at midpoint of the line. The transmitted active and reactive powers are controlled by three GCSC's. The effects of maximum reactive power injected as well as injected maximum voltage by GCSC on distance relays measured impedance is treated. The simulations results investigate the effects of GCSC injected parameters on measured resistance and reactance in the presence of earth fault with resistance fault for three cases study.

**Keywords** — FACTS devices, GCSC, Reactive power; Earth fault; Symmetrical components; Distance protection; Measured Impedance.

## I. INTRODUCTION

Fault currents have an important influence on the design and operation of equipment and power systems. In Algerian Company of Electrical and Gas (Sonelgaz Group), more than 83% of the occurred faults on 220 and 400 kV overhead transmission networks are single phase to ground type. However, phase to phase faults are the most common fault type after single phase to ground faults.

Distance protection relays have been widely applied as the primary protection in high voltage transmission lines due to their simple operating principle and capability to work independently under most circumstances [1-2]. The basic operation principle of distance relay is based on the fact that the line impedance is fairly constant with respect to the line length. However, the implementation of FACTS Controllers in power system transmission for enhancing the power system controllability and stability have introduced new power system issues in the field of power system protection that must be considered and analyzed [3].

Some of the concerns include the rapid changes in line impedance and the transients introduced by the fault occurrence with the associated control action of the FACTS Controllers. The presence of the FACTS devices in the faulted loop introduces changes to the line parameters seen by the distance relay. The effect of FACTS device would affect both the steady state and transient trajectory of the apparent impedance seen by distance relays due to the fast response time of FACTS Controllers with respect to that of the protective devices. The impact of FACTS devices on distance protection varies depending on the type of FACTS device used, the application for which it is applied and the location of the FACTS device in the power system.

The effect of different types of series FACTS devices on distance protection of transmission lines has been reported: for Thyristor Controlled Series Capacitor (TCSC) in [4-7] and for Static Synchronous Series Compensator (SSSC) in [8-9], for shunt FACTS devices the type Static Synchronous Compensators (STATCOM) is study in [10-12] and for Static Var Compensators (SVC) in [13-14]. However, the authors have not come across any reported work on mitigation of the impact of midpoint series FACTS compensated transmission lines on distance protection.

In this paper we report the impact of variation of maximum reactive power injected by GCSC for three case study in the presence phase to earth faults (phase A) at the end of the transmission line with resistance fault ( $R_F$ ). The compensator GCSC is located on 220 kV midline of the Algerian transmission line between substations Ain M'lila and Khenchela which is protected by MHO distance relay installed at busbar A. The study concerns the impact of injected parameters ( $X_{GCSC}$ ,  $V_{GCSC}$  and  $Q_{GCSC}$ ) of the GCSC on the measured impedance of by distance relay  $R_{seen}$  and  $X_{seen}$  for protected transmission line in presence of  $R_F$  which varies between 5 to 50  $\Omega$ .

## II. REACTIVE POWER ON TRANSMISSION LINE IN PRESENCE GCSC

The compensator GCSC mounted on figure 1.a is the first that appears in the family of series compensators. It consists of a capacitance ( $C$ ) connected in series with the electrical transmission line and controlled by a valve-type GTO thyristors mounted in anti-parallel and controlled by an extinction angle ( $\gamma$ ) varied between  $0^\circ$  and  $180^\circ$  [15-17]. Controlled series compensation, apply dynamic control of the degree of series compensation in a long line.

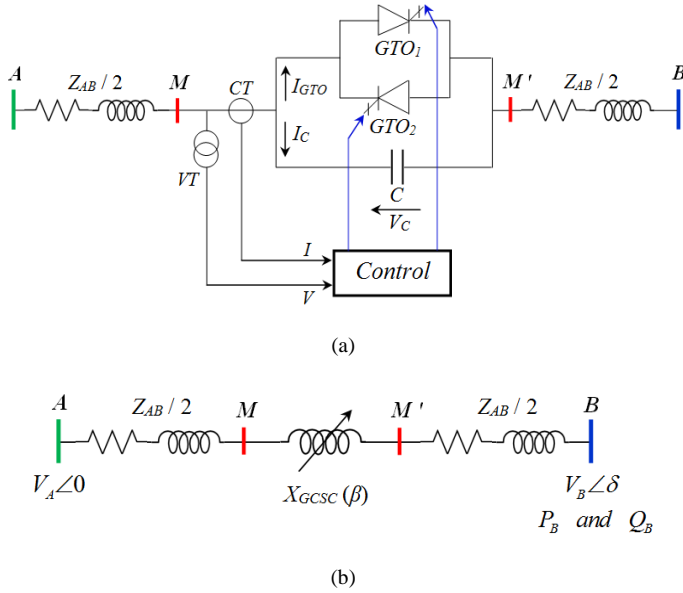


Fig. 1. Transmission line in presence of GCSC system.  
a). Control principle, b). Apparent reactance.

Figure 2 shows typical current and voltage waveforms for the GCSC of Figure 1, for a given blocking angle  $\gamma$ . [16]. It is assumed that the transmission line current ( $I_L$ ), is sinusoidal.

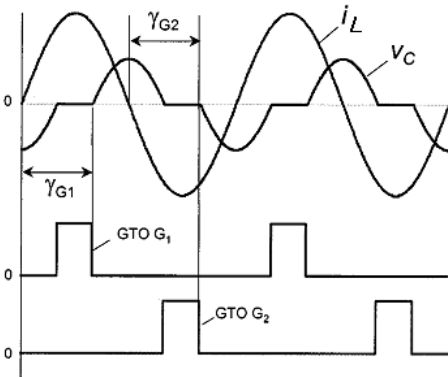


Fig. 2. GCSC current, voltage waveforms, and switch control.

This compensator injected in the transmission line AB between busbar A (source) and B (load) a variable capacitive reactance ( $X_{GCSC}$ ). From figure 1.b this capacitive reactance is defined by the following equation [18-19]:

$$X_{GCSC}(\gamma) = X_{C,Max} \left[ 1 - \frac{2}{\pi} \gamma - \frac{1}{\pi} \sin(2\pi) \right] \quad (1)$$

$$\text{Where, } X_{C,Max} = \frac{1}{C_{GCSC} \cdot \omega} \quad (2)$$

The conduction angle ( $\beta$ ) which varies between 0 to  $90^\circ$ , is defined by next relation:

$$\beta = \pi - 2\gamma = 2 \left( \frac{\pi}{2} - \gamma \right) \quad (3)$$

From equation (3), the equation (2) becomes:

$$X_{GCSC}(\beta) = X_{C,Max} \left[ 1 - \left( \frac{\pi - \beta}{\pi} \right) - \frac{1}{\pi} \sin(\pi(\pi - \beta)) \right] \quad (4)$$

Where, the relation of injected voltage is:

$$V_{GCSC}(\beta) = V_{GCSC-Max} \left[ 1 - \left( \frac{\pi - \beta}{\pi} \right) - \frac{1}{\pi} \sin(\pi(\pi - \beta)) \right] \quad (5)$$

The reactive injected power by GCSC is:

$$Q_{GCSC}(\beta) = \frac{V_{GCSC}(\beta)^2}{X_{GCSC}(\beta)} \quad (6)$$

The active and reactive power at busbar B with GCSC is defined by following equations:

$$P_B(\delta) = \frac{V_A \cdot V_B}{R_{AB} - X_{GCSC}} \sin(\delta) \quad (7)$$

$$Q_B(\delta) = P_B(\delta) = \frac{V_B^2}{Z_{AB} - X_{GCSC}} - \frac{V_A \cdot V_B}{Z_{AB} - X_{GCSC}} \cos(\delta) \quad (8)$$

Where,

$$\begin{cases} V_B = V_{B,W} + V_{GCSC} \\ V_{B,W} = V_{A,W} - \Delta V \end{cases} \quad (9)$$

The  $V_{A,W}$  and  $V_{B,W}$  represent voltages at busbar A and B respectively without GCSC.

## III. IMPEDANCE MEASURED BY MHO DISTANCE RELAY

Distance protection has been widely used in the protection of EHV and HV transmission lines. The basic principle of MHO distance protection involves the division of the voltage at the relaying point by the measured current [1], [29]. The apparent impedance so calculated is compared with the reach point impedance. If the measured impedance ( $Z_{seen}$ ) is less than the reach point impedance, it is assumed that a fault exists on the line between the relay and the reach point.

The basic principle of operation of distance protection is shown in figure 3. The input to the relay point is the phase voltages and line currents transformed with the help of voltage transformer (VT) and current transformers (CT).

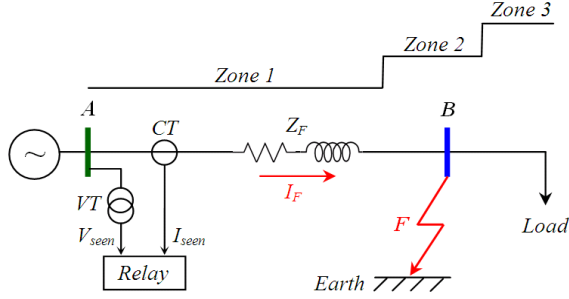


Fig. 3. Principle of distance protection in presence phase to earth fault with  $R_F$ .

The voltage would fall towards zero at the point of the fault. The impedance measured by MHO distance relay ( $Z_{seen}$ ) in presence phase (A) to earth fault is calculate by flowing equation [20-21]:

$$Z_{seen} = \frac{V_{Relay}}{I_{Relay}} = \frac{V_A / I_A + K_o \cdot I_o}{K_Z} = R_{seen} + j \cdot X_{seen} \quad (10)$$

$$\text{Where, } K_o = \frac{Z_o - Z_1}{3 \cdot Z_1} \quad \text{and} \quad K_Z = \frac{K_{CT}}{K_{VT}} \quad (11)$$

#### IV. PHASE TO EARTH FAULT CURRENT CALCULATION ON PRESENCE GCSC

Figure 4 is shows the equivalent circuit for transmission line en presence single phase (phase A) to ground fault with fault resistance ( $R_F$ ) at busbar B with GCSC inserted on midline.

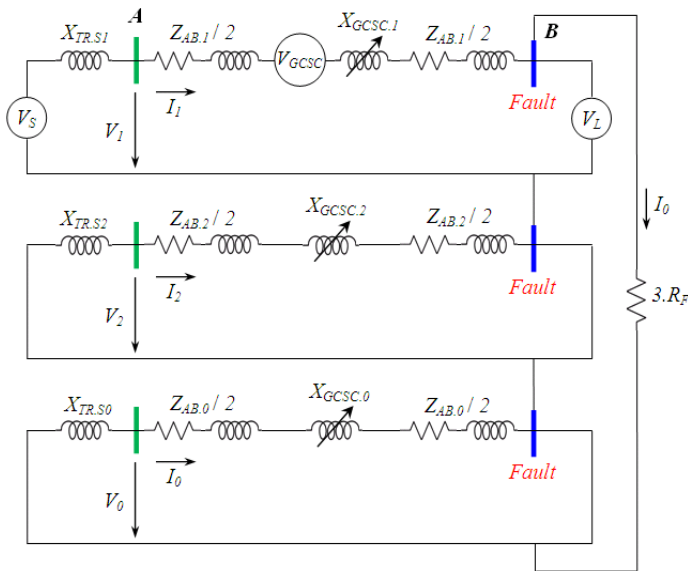


Fig. 4. The equivalent circuit with GCSC.

The total transmission line ( $Z_{AB-GCSC}$ ) impedance with GCSC inserted on midline is given by:

$$Z_{AB-GCSC} = R_{AB} + j[X_{AB} - X_{GCSC}(\beta)] \quad (12)$$

Regarding reference [22-23], the basic equation for this fault is:

$$I_b = I_c = 0 \quad (13)$$

$$V_a = V_1 + V_2 + V_0 = R_F \cdot I_a \neq 0 \quad (14)$$

The coefficients  $Z_{AB-T}$  and  $Z_{GCSC-T}$  are defined for simplicity is:

$$Z_{AB-T} = Z_{AB.1} + Z_{AB.2} + Z_{AB.0} \quad (15)$$

$$X_{GCSC-T} = X_{GCSC.1} + X_{GCSC.2} + X_{GCSC.0} \quad (16)$$

From figure 4, the symmetrical currents components are:

$$I_1 = I_2 = I_0 = \frac{V_s + V_{GCSC}}{\left(\frac{Z_{AB-T}}{2}\right) + X_{GCSC-T} + \left(\frac{Z_{AB-T}}{2}\right) + 3 \cdot R_F} \quad (17)$$

$$\text{Where, } I_1 + I_2 + I_0 = \frac{I_A}{3} \quad (18)$$

From equations (17) and (18), the current in phase A is:

$$I_A = \frac{3 \cdot (V_s + V_{GCSC})}{\left(\frac{Z_{AB-T}}{2}\right) + X_{GCSC-T} + \left(\frac{Z_{AB-T}}{2}\right) + 3 \cdot R_F} \quad (19)$$

The symmetrical components of voltages are:

$$\begin{bmatrix} V_0 \\ V_1 \\ V_2 \end{bmatrix} = \frac{1}{3} \begin{bmatrix} 1 & 1 & 1 \\ 1 & a & a^2 \\ 1 & a^2 & a \end{bmatrix} \begin{bmatrix} V_A \\ V_B \\ V_C \end{bmatrix} \quad (20)$$

From equation (14) and matrix (20), the voltage at phase A is:

$$V_A = \frac{3 \cdot R_F \cdot (V_s + V_{GCSC})}{\left(\frac{Z_{AB-T}}{2}\right) + X_{GCSC-T} + \left(\frac{Z_{AB-T}}{2}\right) + 3 \cdot R_F} \quad (21)$$

From equations (10), (17), (19) and (21), the measured impedance  $Z_{seen}$  by distance relay is only related to:

- Parameters of transmission line :  $U_n$ ,  $l_L$ ,  $R_{AB}$ , and  $X_{AB}$ ,
- Current and voltage transformer ratios:  $K_{CT}$  and  $K_{VT}$ ,
- Parameters of GCSC installed:  $V_{GCSC}$  and  $X_{GCSC}$ ,
- Fault conditions: location  $n_F$  and resistance  $R_F$ .

## V. CASE STUDY AND SIMULATION RESULTS

The electrical network 220 kV, 50 Hz studied in this paper [24], is the eastern Algerian electrical transmission networks at Sonelgaz group (Algerian company of Electrical and Gas) is shown in figure 5. The MHO distance relay is located on the busbar at Ain M'lila in Oum El Bouaghi to protect the single transmission line between busbar A and busbar B at Khenchela substation HV/MV. The GCSC system is installed in the midpoint of the protected line by a MHO distance relay. The investigation were carried out for three case studies respectively for 30, 50 and 70 MVar of injected reactive power as well as for 10, 20 and 30 kV injected voltage. The parameters of transmission line and the installed GCSC are summarized in the appendix.

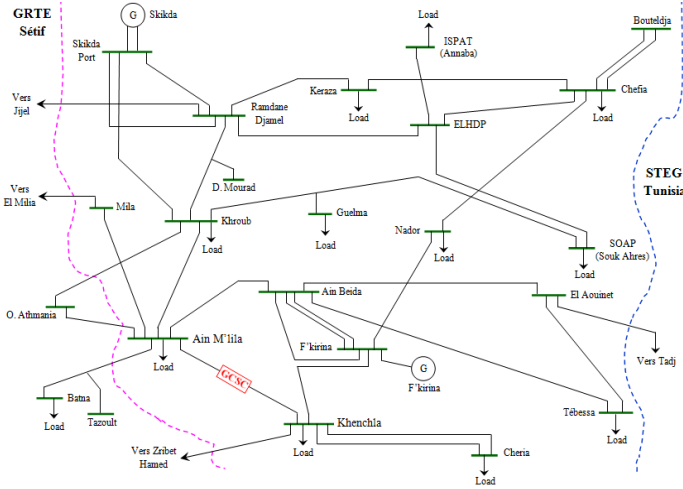
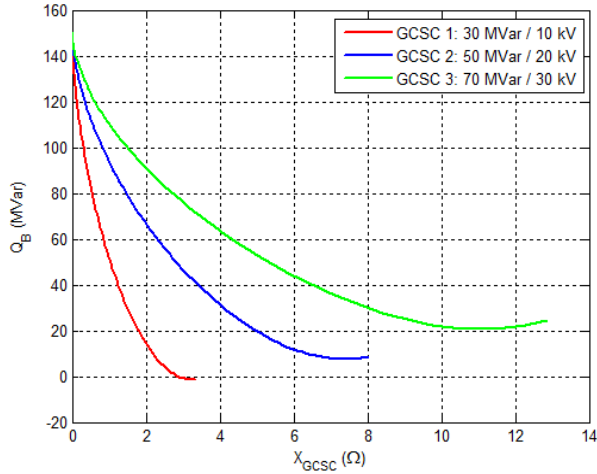


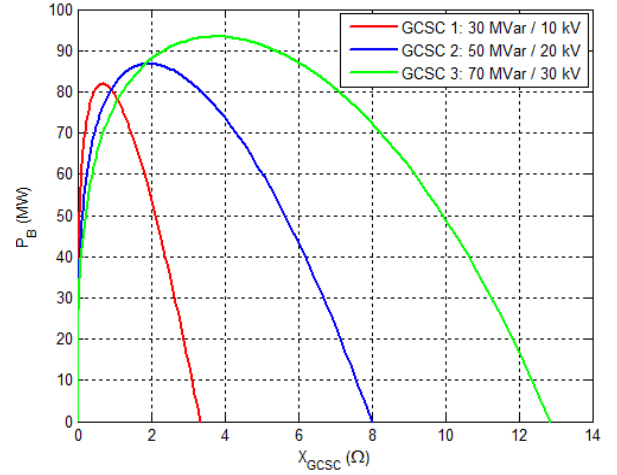
Fig. 5. 220 kV Algerian electrical networks study.

### A. Impact on transmission line protected

The figures 6.a and 6.b represent the variation of reactive power ( $Q_B$ ) and active power ( $P_B$ ) at the load busbar B respectively as a function of injected  $X_{GCSC}$  by different GCSC.



(a)



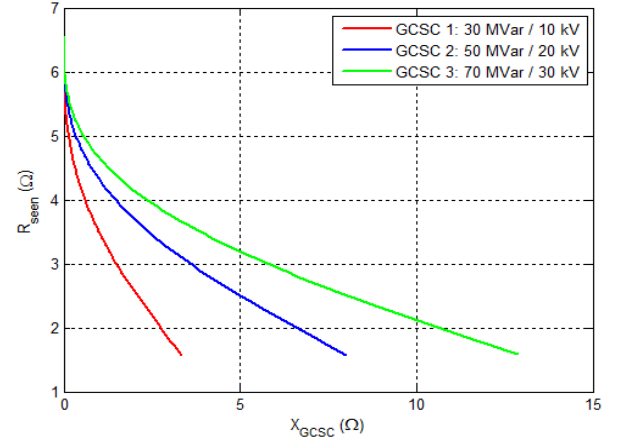
(b)

Fig. 6. Powers Variation with respect to injected reactance.

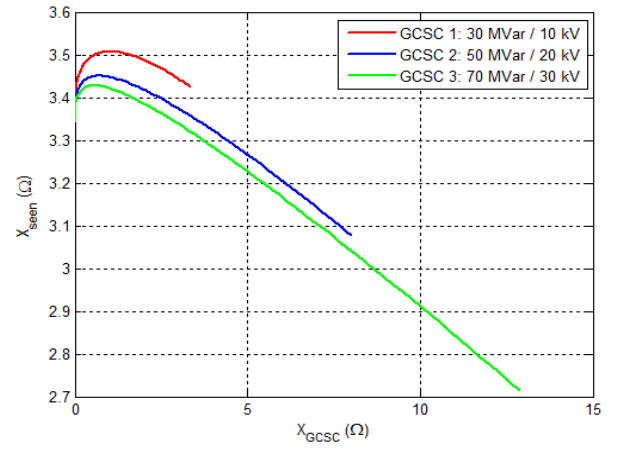
a).  $Q_B = f(X_{GCSC})$ , b).  $P_B = f(X_{GCSC})$ .

### B. Impact of $X_{GCSC}$ on the impedance measured by relay

The figures 7.a and 7.b represent the variation of the resistance  $R_{seen}$  and reactance  $X_{seen}$  respectively as a function of injected  $X_{GCSC}$  by different GCSC in the presence  $R_F$ .



(a)



(b)

Fig. 7. Distance relay measured impedance variation  $Z_{seen}$ .

a).  $R_{seen} = f(X_{GCSC})$ , b).  $X_{seen} = f(X_{GCSC})$ .

### C. Impact of $V_{GCSC}$ on impedance measured by relay

Figures 8.a and 8.b represent the variation of  $R_{seen}$  and  $X_{seen}$  respectively as a function  $R_F$  for different injected voltage  $V_{GCSC}$  by different GCSC study.

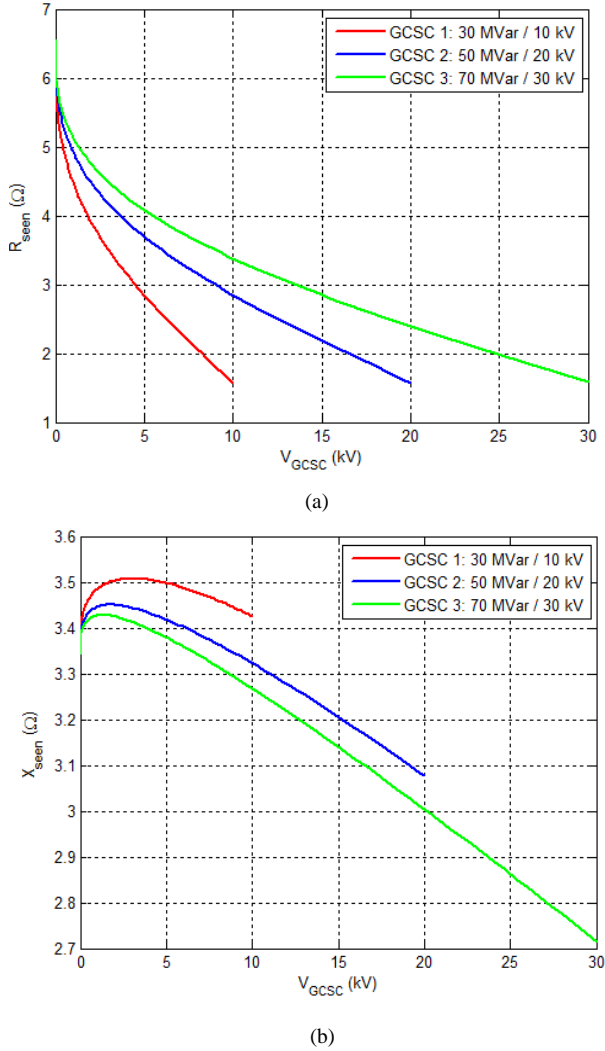


Fig. 8. Distance relay measured impedance variation  $Z_{seen}$ . a).  $R_{seen} = f(V_{GCSC})$ , b).  $X_{seen} = f(V_{GCSC})$ .

### D. Impact of $Q_{GCSC}$ on impedance measured by relay

Figures 9.a and 9.b represent the variation of  $R_{seen}$  and  $X_{seen}$  as a function  $R_F$  for different injected  $Q_{GCSC}$  injected by different GCSC study.

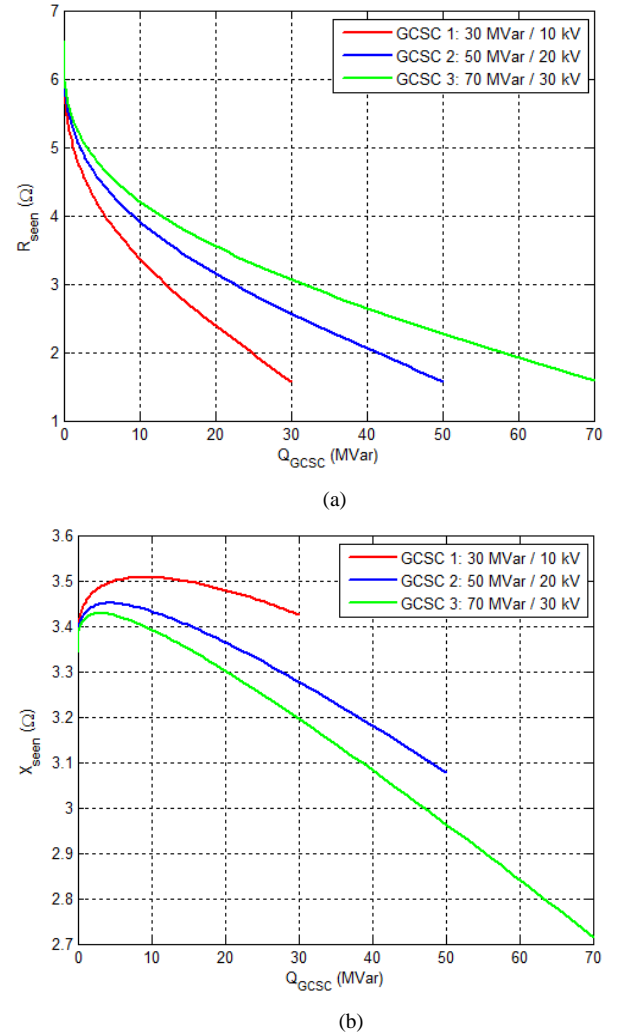


Fig. 9. Variation of impedance  $Z_{seen}$  by distance relay. a).  $R_{seen} = f(Q_{GCSC})$ , b).  $X_{seen} = f(Q_{GCSC})$ .

## VI. CONCLUSION

The results are presented in relation to a typical 220 kV single electrical transmission system employing different GCSC (10 MVar/10 kV, 50 MVar/20 kV and 70 MVar/30 kV). The compensator is connected at the midpoint of a protected transmission line by distance relay. The simulation results show the direct impact on the total impedance of a protected line for different injected variable parameters apparent reactance  $X_{GCSC}$ , voltage  $V_{GCSC}$  and reactive power  $Q_{GCSC}$  of the compensator. As can be seen the resistance  $R_{seen}$  and reactance  $X_{seen}$  respectively in the presence of GCSC and in case of earth fault with resistance fault  $R_F$  varied between 5 to 50  $\Omega$  at the end of the transmission line are affected.

Therefore distance relay tripping characteristic depends on many factors including the power system structural and the pre-fault condition, the earth fault resistance, and parameters of reactance injected by GCSC based the maximum reactive power injected on electrical transmission line.

So, it is necessary to modify the setting protection zones ( $Z_1$ ,  $Z_2$  and  $Z_3$ ) in order to prevent circuit breaker nuisance tripping and improve the performances of MHO distance relay protection.

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## APPENDIX

### A. Power source

$$U_s = 11 \text{ kV},$$

$$f_n = 50 \text{ Hz}.$$

### B. Power transformer

$$U_{TR} = 11 / 220 \text{ kV},$$

$$S_{TR} = 200 \text{ MVA},$$

$$X_{TRI} = j 0,213 \Omega,$$

$$X_{TRO} = j 0,710 \Omega.$$

### C. Electrical transmission line

$$U_L = 220 \text{ kV},$$

$$U_{Min} = 180 \text{ kV},$$

$$U_{Max} = 240 \text{ kV},$$

$$Z_1 = 0,1213 + j 0,4227 \Omega/\text{km},$$

$$Z_0 = 0,3639 + j 1,2681 \Omega/\text{km},$$

$$\text{Length} = 117 \text{ km}.$$

### D. GCSC study

$$\text{Case 1. } Q_{Max} = 30 \text{ MVar}, V_{Max} = 10 \text{ kV}, X_{C.Max} = 3,333 \Omega,$$

$$\text{Case 2. } Q_{Max} = 50 \text{ MVar}, V_{Max} = 20 \text{ kV}, X_{C.Max} = 8,000 \Omega,$$

$$\text{Case 3. } Q_{Max} = 70 \text{ MVar}, V_{Max} = 30 \text{ kV}, X_{C.Max} = 12,857 \Omega.$$