# EXTENSION OF REKKER METHOD FOR THE PREDICTION OF NOCTANOL / WATER COEFFICIENT OF FERROCENE DERIVATIVES 

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#### Abstract

Octanol/water partition coefficients $\operatorname{logP}$ of many selected substituted ferrocenes were predicted by calculation for the first time using the fragmental Rekker method. The calculated values of $\log \mathrm{P}$ were compared with the experimental values. For estimation of the $\log P$ of the selected substituted ferrocenes, the average absolute error of $\log P$ is 0.08 . Although the obtained values of $\log \mathrm{P}$ by the proposed method are all very close to the experimental values, the values of $\operatorname{logP}$ obtained for ferrocene derivatives that do not contain a bulky group in their structure were significantly better than the results obtained for those containing a bulky group.


KEYWORDS: logP, partition coefficient, ferrocene derivatives, liquid /liquid extraction,


#### Abstract

RESUME Le coefficient de portage octanol/eau de quelques ferrocènes substitués a été prédit pour la première fois par l'adaptation de la méthode de Rekker. Les valeurs calculées de $\log P$ ont été comparés avec les valeurs expérimentales. La moyenne de l'erreur absolue de logP pour les dérivés ferrocèniques étudiés est de 0.08 . Malgré que les valeurs obtenues de $\log \mathrm{P}$ sont très voisines aux valeurs expérimentales, les valeurs de $\log \mathrm{P}$ pour les ferrocènes non porteurs des groupements volumineux sont mieux que ceux porteurs des groupements volumineux.


MOTS CLES : logP, coefficient de partage, dérivés ferrocèniques, extraction liquid/liquid.

## 1. Introduction

In recent years the $n$-octanol/water partition coefficient $\log P$ has become a key parameter in studies of the environmental fate of organic chemicals. Because of its increasing use in the estimation of many other properties, $\log \mathrm{P}$ is considered a required property in studies of new or problematic chemicals. Although this surmounting interest in octanol/water partition coefficient measurements lays out over the past 90 years, no comprehensive articles of the partition coefficient of ferrocene derivatives have ever been published. In fact, despite the ferrocene itself, no value of partition coefficients has appeared in the literature. Among the many different theoretical methods for the calculation of $\log \mathrm{P}$ of several simple aliphatic and aromatic compounds, which is described in literature, $[1-4]$ no one of these estimation methods can be applied to organometallic compounds, such as ferrocene derivatives. The very rapid expansion of ferrocene chemistry during the last 50 years, notably in areas related to biology, medicine, catalysis and materials [5-11], led us to turn our attention to the n-octanol/water partition coefficient of ferrocene derivatives, the aim of the present paper is to present an extension of the Rekker method for the calculation of this very important parameter that quantifies the lipophilicity of these derivatives and connects between their structure and their biological activities. The calculation used for obtaining $\log P$ of ferrocene derivatives is based upon the extension of the Rekker method used for organic molecules [1, 12].

## 2. Theoretical aspect

The partition coefficient ' P '' of a molecular specie between two phases is defined as:

$$
\begin{equation*}
p=\frac{\sigma_{s}}{\sigma_{s}} \tag{1}
\end{equation*}
$$

in which $\mathbb{C}_{5 x}$ and $c_{s e}$ are the concentrations, in mol/l, of the species in the two phases $s_{i}$ and $s_{2}$ respectively [13]. In the most general terms, then, the concentrations of any singular molecular species in two phases which are in equilibrium with one another will bear a constant ratio to each other as long as the activity coefficients remain relatively constant.
Equation 1 can be regarded as an extension of Henry's law which describes the equilibrium of a gas with its solution in some solvent, so we can write:

$$
\begin{equation*}
\frac{w}{n}=\frac{m}{m} \tag{2}
\end{equation*}
$$

where $m$ is the mass of gas dissolved per unit volume and $p$ is the pressure at constant temperature. The fact that the concentration of molecules in the gaseous phase is proportional to its pressure; the latter can be replaced by $\varepsilon_{\text {sii }}$ and the mass/unit volume of gas in solution designated by $\varepsilon_{52}$. Equation 2 can then be restated as Equation 1.
In the case of ionization of the molecular spices in both phases, then the partition coefficient is replaced by the distribution coefficient D which can be defined as:
 and $S_{z}$ respectively. For purpose of simplification of calculation we assume that there are no significant solute-solute interactions as well as no strong specific solute-solvent interactions. We also assume that there is no ionization in both phases.

## 3. Principle of the Rekker method

The calculation of $\log \mathrm{P}$, according to this method, is based upon the decomposition of the molecule into small suitable fragments to which is attributed a theoretical hydrophobic value. The summing of these theoretical hydrophobic values together with the correction terms for intramolecular interactions Cm gives the partition coefficient of the considered molecule as given by the following equation:

$$
\begin{equation*}
\operatorname{Hos}_{g_{2}}=\sum e_{1}+\sum \sum_{s} h_{m} \tag{4}
\end{equation*}
$$

where $a_{i}$ is the number of a given fragment present in the molecule and $f_{i}$ is the $\log P$ increment of the fragment. The interaction terms can be expressed as an integral multiple of one single constant (so-called 'magic constant'). The fragment constants $\mathrm{f}_{\mathrm{i}}$ and Cma have been determined from a list of 1054 experimental partition coefficient values of 825 compounds using multiple regression analysis[1] .

## 4. Results and discussion

In this section we describe the generation of our model for $\log \mathrm{P}$ calculation for ferrocene derivatives, this calculation is based upon the extension of the Rekker method which consider the partition of a molecular spice between an aqueous phase and an organic phase.

## 5. Extension of the Rekker method:

We describe in this section the adaptation of the Rekker method to ferrocene derivatives. Since the theoretical value of the $n$-octanol/water partition coefficient $\log \mathrm{P}$ of the ferrocene molecule is not known and is not described in literature, and since the ferrocene molecule does not contain any hydrogen bonding which can affect this value, we are going to consider, in first approximation, that this theoretical value is equal to the experimental value of $\log \mathrm{P}$ which is equal to $2.66[14]$.

A ferrocene derivative FcX can be either regarded as the insertion of the substituent $\mathrm{H}-\mathrm{X}$ to the ferrocenyl substructure Fc or the substitution of a hydrogen atom in the ferrocene molecule by the substituent X . In this work we consider the second case, and then all we need to calculate the n octanol/water partition coefficient $\log \mathrm{P}$ of the ferrocenyl group is to subtract the contribution of the hydrogen atom in the molecule as follows:
where $\operatorname{lingr}_{p}^{P}$ is the logarithm of the partition coefficient of ferrocene, $f_{m}$ and $h_{m}$ is the contribution of the theoretical hydrophobic value of the ferrocenyl group and the hydrogen atom, respectively. The numerical application gives:

$$
r_{m}=2664-2645=2.455
$$

The logarithm of the partition coefficient between n -octanol and water, $\log \mathrm{P}$, for any ferrocene derivative FcX , is therefore calculated by substituting $/ \mathrm{m}$ in the previous relation by $/ \mathbb{N}$ and adding the corrective term Cm as given by equation 8 .

The values of $f$ are obtained from literature tables[12], Cm is equal to 0.219 .
If a ferrocene derivative contains a heterocyclic ring or a combination of two groups like nitro, carboxyl or carbonamide on a phenyl ring in para or meta position gives rise to a resonance interaction resulting in an increase of $3 \mathrm{Cm}[1]$.

Table 1: The values of $f_{x}$

| fragment | $\mathrm{fal}_{\text {a }}$ | $\mathrm{far}_{\text {ar }}$ |
| :---: | :---: | :---: |
| H | 0.2045 |  |
| C | 0.110 |  |
| CH | 0.315 |  |
| $\mathrm{CH}_{2}$ | 0.519 |  |
| $\mathrm{CH}_{3}$ | 0.724 |  |
| $\mathrm{C}_{6} \mathrm{H}_{5}$ | - | 1.903 |
| N | -2.074 | -0979 |
| O | -1.545 | -0.450 |
| S | -0.558 | 0.099 |
| F | -0.213 | 0.444 |
| Cl | 0.057 | 0.933 |
| Br | 0.258 | 1.134 |
| I | 0.570 | 1.446 |
| $\mathrm{NO}_{2}$ | -0.915 | -0.039 |
| OH | -1.448 | -0.353 |
| SH | -0.046 | 0.611 |
| $\mathrm{NH}_{2}$ | -1.340 | -0.902 |
| NH | -1.814 | -0.938 |
| CO | -1.633 | -0.976 |
| $\mathrm{CH}=0$ | -0.991 | -0.334 |
| CO-O | -1.200 | -0.543 |
| O-CO | - | -0.981 |
| COOH | -0.942 | -0.066 |
| $\mathrm{CONH}_{2}$ | -2.011 | -1.135 |
| CONH | -2.435 | -1.559 |
| $\mathrm{NHC}=0$ | -2.435 | -1.559 |
| $\mathrm{NC}=0$ | -2.859 | -1.544 |
| CON | -2.859 | -1.983 |
| $\mathrm{OCONH}_{2}$ | -1.405 | -0.967 |
| CONHNH | -3.348 | -2.253 |
| $\mathrm{OCH}_{3}$ | -0.821 | 0.274 |
| $\mathrm{SCH}_{3}$ | 0.166 | 0.823 |
| CN | -1.031 | -0.155 |

## 6. Calculation and validation of our model

We validated our model with ten different ferrocene derivatives (mainly selected from literature sources [15]) and we recommend carrying out the calculations in three decimals, with the final result rounded to two decimals.

1. Ferrocenes with saturated aliphatic hydrocarbon chains or functionalized aliphatic saturated chains as exemplified by N -(ferrocenyl)-isobutyamide


| Fragmental constant | contribution |
| :---: | :---: |
| Fc | 2.456 |
| $\mathrm{arNHC}=\mathrm{O}$ | -1.559 |
| CH | 0.315 |
| $2 \times \mathrm{CH}$ | 3 |
| $\log \mathrm{P}$ | $2 \times 0.724$ |

No correction is needed for this type of compounds; $\log \mathrm{P}$ is obtained by the summation of the value of the fragmental constant of the four groups in the molecule (ferrocenyl, amide, CH and $\mathrm{CH}_{3}$ ).
2. Ferrocenes with ferrocenyl-aryl conjugation as exemplified by Phenylferrocene requires a correction of 1 Cm .


| Fragmental constant | Contribution |
| :---: | :---: |
| Fc | 2.456 |
| Ph | 1.903 |
| Aryl-aryl conjugation | 0.219 |
| logP | 4.58 |

The conjugation require in general the application of 1 Cm , thus $\log P$ for Phenylferrocene can be obtained by the summation of the fragmental constant of the ferrocenyl and the phenyl groups which equal respectively to 2.456 and 1.902 , a correction of $1 \mathrm{Cm}=0.219$ should be added which correspond to ferrocenyl-aryl conjugation this gives a value of 4.58 for $\log \mathrm{P}$.
3. Ferrocenes with a basic fragment linked to two aromatic rings requires a correction of 1 Cm , example of this type of compound is N -[4-cyano-3-trifluoromethyl-phenyl]ferrocenecarboxamide,


| Fragmental constant | contribution |
| :---: | :---: |
| Fc | 2.456 |
| $\mathrm{NHC}_{\mathrm{NHar}}$ | -1.559 |
| $\mathrm{C}_{6} \mathrm{H}_{3}$ | 1.494 |
| CN | -0.155 |
| $\mathrm{CF}_{3}$ | 1.223 |
| Basic fragment NHC $=\mathrm{O}$ | 0.219 |
| $\operatorname{logP}$ | 3.68 |

In addition to the summing of each fragmental constant in the molecule a correction of 1 Cm should be added which correspond to the basic fragment linked to two aromatic rings. Ferrocenes linked to a direct heterocyclic ring or separated by one or more methylene groups requires a correction of 3 Cm ; as shown for 4 -(4',4'-dimethyl-3'-ferrocenylethyl-5'-imino-2'-oxo-1'-imidazolidinyl)-2-trifluoromethyl-benzonitrile
$\log P$ is calculated as mentioned before, the correction of the basic fragment is replaced by the heterocyclic ring. $\log \mathrm{P}=5.17$
4. 4-(4',4'-dimethyl-3'-ferrocenylmethyl-5'-imino-2'-oxo-1'-imidazolidinyl)-2-trifluoromethyl-benzonitrile

The NCON group in this molecule can be regarded as $\mathrm{HNCONH}_{2}$ minus 3 H , to obtain the fragmental constant for this group we subtract three fragmental constants of a hydrogen atom from the value of the fragmental constant of $\mathrm{HNCONH}_{2}$, the summing of the fragmental constant of all groups in the molecule and the addition of a corrective term of 3 cm which correspond to the existence of a heterocyclic ring in the molecule gives the value of 4.66 for $\log \mathrm{P}$.
5. 4-(4',4'-dimethyl-2',5'-dioxo-3'-ferrocenylmethyl-1'-imidazolidinyl)-2-trifluoromethylbenzonitrile, $\log \mathrm{P}$ is calculated as mentioned before. $\log \mathrm{P}=5.18$
6. 4-(4',4'-dimethyl-2',5'-dioxo-3'-ferrocenylethyl-1'-imidazolidinyl)-2-trifluoromethylbenzonitrile, $\log \mathrm{P}$ is calculated as mentioned before. $\log \mathrm{P}=5.69$
7. Ferrocenes with a basic fragment linked to two aromatic rings and resonance interaction as shown for N -[4-nitro-3-trifluoromethyl-phenyl]-ferrocenecarboxamide, this needs two corrections, the first is 3 Cm for the basic fragment and the second is 1 Cm for the resonance interaction.

After summing the fragmental constant of each group in the molecule, two corrections should be added, the first which equal to 1 Cm is for basic fragment (amide group) linked to two aromatic rings (ferrocenyl and phenyl), the second is equal to 3 Cm for the combination of two groups (nitro and amide) on a phenyl ring in para position which gives rise to a resonance interaction resulting in increased $\log \mathrm{P} . \log \mathrm{P}=4.45$.
8. Ferrocenes with Hydrogen bonding requires a correction of 2 Cm as exemplified by 4-
[4',4'-dimethyl-2',5'-dioxo-3'-ortho-hydroxymethyl-ferrocenylmethyl-1'-imidazolidinyl]-2-trifluoromethyl-benzonitrile.

In addition to the correction of 3 Cm for the heterocyclic ring, a correction of 2 Cm should be added for the hydrogen bond between the hydrogen of the hydroxyl group and the oxygen of the carbonyl group, as confirmed by $X$ ray study[14], the effect of the two substuents on the ferrocenyl group is not considered when there is a hydrogen bond in the molecule. $\log \mathrm{P}=4.48$.
9. Ferrocenes with electronic effect needs the application of a correction of 2 Cm as illustrated in 4 -[4',4'-dimethyl-2',5'-dioxo-1'-imidazolidinyl-(3'-ortho-methoxymethyl-ferrocenylmethyl)]-2-trifluoromethyl-benzonitrile

We add 2 Cm for electronic effect of two substituents $\mathrm{CH}_{2} \mathrm{OCH}_{3}$ and $\mathrm{CH}_{2}$ on the same ring (cyclopentadienyl ring), $\log \mathrm{P}=5.11$.
The experimental and calculated $\log \mathrm{P}$ values for the ten ferrocene derivatives are presented in table2. These values are in good agreement between them.

Tableau 2 : calculated and experimental $\log P$ values

| Compound | $\log \mathrm{P}_{\text {calc }}$ | $\log \mathrm{P}_{\exp }[15]$ |
| :--- | :---: | :---: |
| N-(ferrocenyl)-isobutyamide | 2.66 | 2.64 |
| Phenylferrocene | 4.58 | 4.59 |
| N-[4-cyano-3-trifluoromethyl-phenyl]-ferrocenecarboxamide | 3.68 | 4.10 |
| 4-(4',4'-dimethyl-3'-ferrocenylmethyl-5'-imino-2'-oxo-1'- <br> imidazolidinyl)-2-trifluoromethyl-benzonitrile | 4.66 | 4.68 |
| 4-(4',4'-dimethyl-2',5'-dioxo-3'-ferrocenylmethyl-1'- <br> imidazolidinyl)-2-trifluoromethyl-benzonitrile | 5.18 | 5,23 |
| 4-(4',4'-dimethyl-2',5'-dioxo-3'-ferrocenylethyl-1'- <br> imidazolidinyl)-2-trifluoromethyl-benzonitrile | 5.69 | 5,62 |
| N-[4-nitro-3-trifluoromethyl-phenyl]-ferrocenecarboxamide | 4.45 | 4.42 |
| 4-[4',4'-dimethyl-2',5'-dioxo-3'-ortho-hydroxymethyl- <br> ferrocenylmethyl-1'-imidazolidinyl]-2-trifluoromethyl-benzonitrile | 4.48 | 4.44 |
| 4-[4',4'-dimethyl-2',5'-dioxo-1'-imidazolidinyl-(3'-ortho- <br> methoxymethyl-ferrocenylmethyl)]-2-trifluoromethyl-benzonitrile | 5.11 | 5.08 |
| 4-(4',4'-dimethyl-3'-ferrocenylethyl-5'-imino-2'-oxo-1'- <br> imidazolidinyl)-2-trifluoromethyl-benzonitrile | 5.17 | 5,04 |

Value for $r^{2}$ of 0.976 was found for equation 8


Fig.1. correlation between experimental $\log P$ and calculated $\log P$ from equation $\mathbf{8}$ for substituted ferrocenes

## 7. Conclusion

Due to the major importance of partition coefficients in related study in chemistry, we try successfully in this study to extend the rekker method for calculating octanol/water partition coefficients of ferrocene derivatives starting from characteristics of ferrocene compound. After having adapted the Rekker method for the calculation of partition coefficient, we became able, for the first time, to calculate the partition coefficient of ferrocene derivatives. Values of experimental and calculated $\log \mathrm{P}$ for a series of ferocene derivatives are in good agreement. The results obtained for $\log P$ enable us to consider the process a solution for calculating partition coefficient for ferrocene derivatives and generalizing it to include all analogous complex compounds.

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